

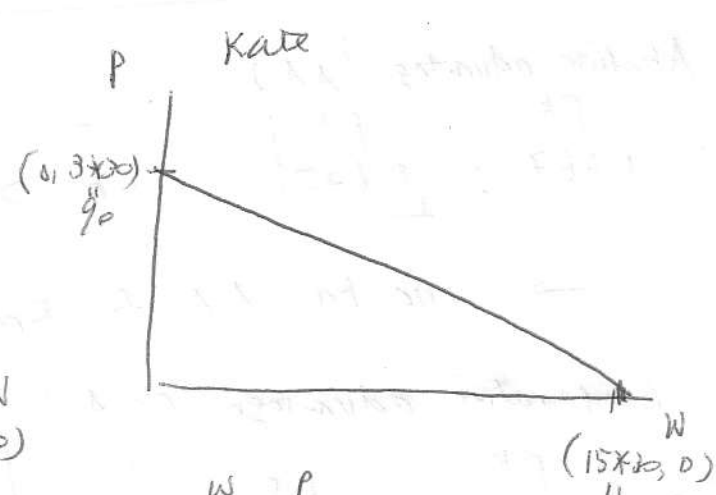
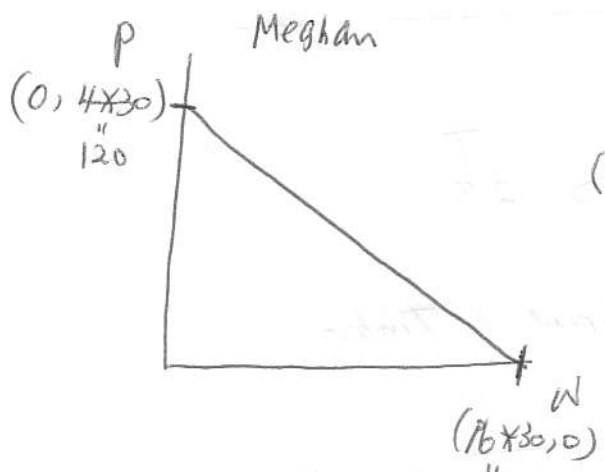
4.

	Meghan		Kate	
	Wristbands (W)	potholder (P)	W	P
Output per hour	16	4	15	3
time/unit (min)	$= \frac{60}{16} \text{ min}$ $= 3.75 \text{ min}$	$= \frac{60}{4}$ $= 15$	$= \frac{60}{15}$ $= 4$	$= \frac{60}{3}$ $= 20$
Opportunity cost/unit	$= \frac{3.75}{15}$ $= 0.25 P$	$= \frac{15}{3.75}$ $= 4 W$	$= \frac{4}{20}$ $= 0.2 P$	$= \frac{20}{4}$ $= 5 W$

a. b Comparative advantage (C.A.)

$0.25P > 0.2P \Rightarrow$  Kate has C.A. for W (lower O.C.)  
 $4W < 5W \Rightarrow$  Meghan has C.A. for P (lower O.C.)  
 " " O.C.(P) for Meghan      O.C.(P) for Kate

c. Works 30 hrs/week



d. Meghan (15, 15) hours      Kate (15, 15) hours

$W^M = 15 \times 16 = 240$        $W^K = 15 \times 15 = 225$   
 $P^M = 15 \times 4 = 60$        $P^K = 15 \times 3 = 45$

e. Meghan (5, 25)      Kate (30, 0)

$W^M = 5 \times 16 = 80$        $W^K = 30 \times 15 = 450$   
 $P^M = 25 \times 4 = 100$        $P^K = 0$

f.  $P_w = \$1.20$ ,  $P_p = \$6$

Meghan ( $0, 30$ )<sub>hours</sub>, Kate ( $30, 0$ )<sub>hours</sub>

$P_M = 30 \times 4 = 120$   
 $W_M = 0$

$P_K = 0$   
 $W_K = 30 \times 15 = 450$

$450 \times 1.20 + 120 \times 6 = \underline{\underline{1260}}$

6. Labor force = 1500 each.

	Kanmur		Cova	
	Fruit (F)	Timber (T)	F	T
One worker for one month = 30 days	1d	6	4d	12
Time/Unit (days)	$= \frac{30}{1} = 30$	$= \frac{30}{6} = 5$	$= \frac{30}{4} = 7.5$	$= \frac{30}{12} = 2.5$
Opportunity cost/unit	$= \frac{1.667}{5} = 0.3334$	$= \frac{5}{1.667} = 2.999$	$= \frac{0.625}{2.5} = 0.25$	$= \frac{2.5}{0.625} = 4$
	T	F	$= 0.25 T$	$= 4 F$

a. Absolute advantage (A.A.)

Time/unit  $FK > \boxed{FC}$        $TK > \boxed{TC}$

$1.667 > 0.625$        $5 > 2.5$

→ Cova has A.A. for Fruits & Timber

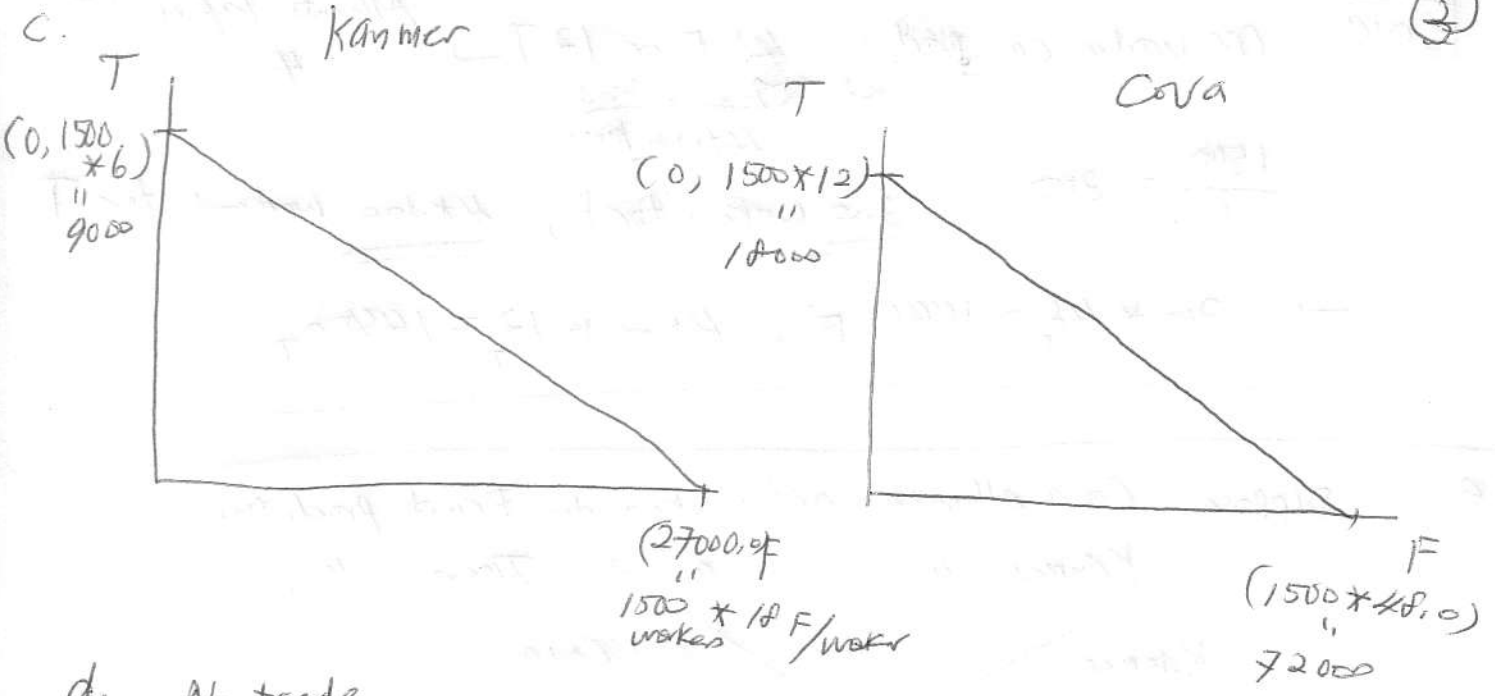
b. Comparative advantage (C.A.)

O.C./unit  $FK > \boxed{FC}$        $\boxed{TK} < TC$

$0.3334 T > 0.25 T$        $2.999 F < 4 F$

Cova has C.A. for Fruits

Kanmur has C.A. for Timber.



d. No trade

1st approach - Derive PPF functional form.

$$T = a - bF$$

a = 9000 from C., X-intercept = (27000, 0)

$$0 = 9000 - 27000b$$

$$b = \frac{1}{3}$$

$$\Rightarrow T = 9000 - \frac{1}{3}F \text{ for Kammer}$$

Since we want T = F

$$T = 9000 - \frac{1}{3}T$$

$$\frac{4}{3}T = 9000$$

$$T = 6750 = F$$

for CoVa

$$a = 18000, \text{ X-intercept } (72000, 0)$$

$$0 = 18000 - 72000b$$

$$b = \frac{1}{4}$$

$$T = 18000 - \frac{1}{4}F$$

Since we want T = F

$$T = 18000 - \frac{1}{4}T$$

$$\frac{5}{4}T = 18000$$

$$T = 14400 = F$$

2nd approach - Compare productivity of each worker

**Kammer** - A worker can produce 18 F or 6 T. → allocate the worker 1 = 3  
 3 times more.

375 for F, 375 \* 3 for T. ←  $\frac{1500 \text{ workers}}{4} = 375$

$$F^K = 375 * 18 = 6750$$

$$T^K = 375 * 3 * 6 = 6750$$

Qwa

One worker can produce 48 F or 12 T.   
  $\uparrow$   $\downarrow$    
 4 times more

Allocate labor 1 = 4.

$$\frac{1500}{5} = 300.$$

300 workers for F, 4 \* 300 workers for T

$$\rightarrow 300 * 48_F = 14400_F, 4 * 300 * 12 = 14400_T$$

e. Suppose Kanner allocates all workers to Timber product (5)  
 Cava " 375 workers to Fruits & 1125 workers to Timber  
 \* If I ask you in the exam about "gains from Trade"  
 I'll give you Kanner's specific exchange rate & resource allocation.

	F	T	F	T
#workers	0	1500	375	1125
production	0	$= 1500 \times 6$ $= 9000$	$= 375 \times 48$ $= 18000$	$= 1125 \times 12$ $= 13500$
exchange rate	1500 T $\rightarrow$ 5000 F			
After trade	5000	7500	13000	15000

Since PPF for Kanner

$$T = 9000 - \frac{1}{3}F$$

on PPF, if  $F = 5000$

$$T = 7333.33$$

But now, it's 7500.

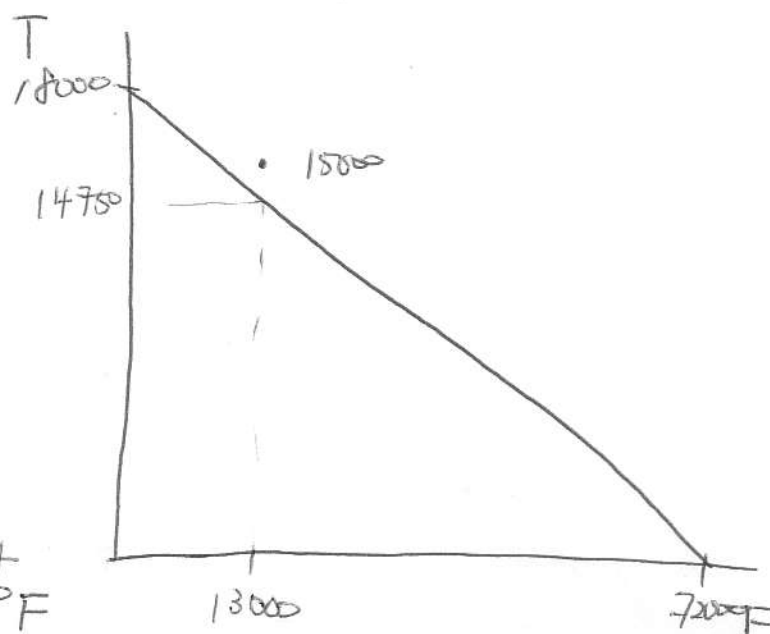
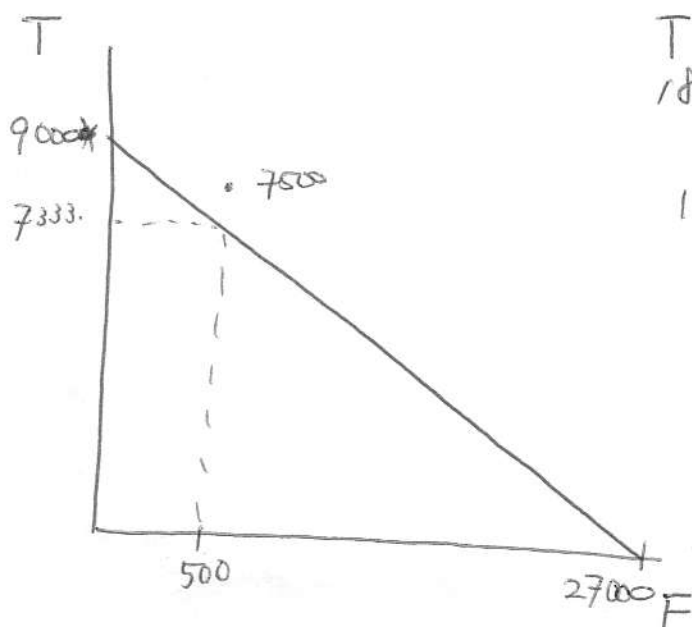
Since PPF for Cava

$$T = 18000 - \frac{1}{4}F$$

on PPF, if  $F = 13000$

$$T = 14750$$

But now it's 15000.



Note: In the quiz or exams, exchange rate & allocation of labor will be given. No need to derive by yourself.

8. a.

c, ~~production inefficiency~~

(6)

b. a, b, d, e, f ← on or above PPF

c. d, e

d. e

e. b, c, d, e, f

f. b



Note - In the graph above exchange rate & allocation of labor will be given. No need to draw the PPF.